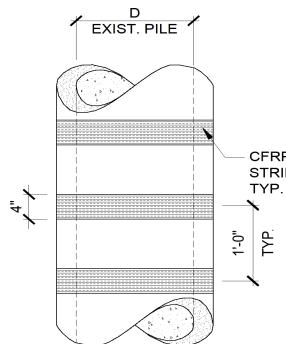
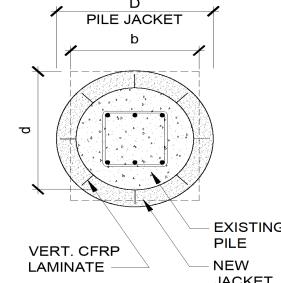


## Flexural Strengthening of a Concrete Pile using the SCS System

### Existing pile size, properties and capacity:

$D_{\text{Existing Pile}} =$	24 in	24" Dia. w/ 6 #8 & #3 ties @12"oc
$f'_{\text{c}, \text{Existing Pile}} =$	4,000 psi	Existing concrete compressive strength
$f_y, \text{Existing Pile} =$	60,000 psi	Yield Strength of existing Reinforcement
$A_{\text{s,Tension}} =$	2.36 in <sup>2</sup>	Area of existing Reinforcement in tension
$\phi M_{n,\text{Existing}} =$	92 ft-kip	Original Flexural capacity of existing pile



### New epoxy grout Jacket & CFRP Laminate size & properties:

$f'_{\text{c}} =$	9,500 psi	Compressive strength (7 Days)
$E_{\text{c,comp}} =$	2,500,000 psi	Compressive modulus
$\varepsilon_{\text{c,u}} =$	0.0038	Ultimate compressive strain
$D_{\text{pile Jacket}} =$	32 in	
Cover =	0.75 in	FRP epoxy positioner
$A_{\text{pile}} =$	804 in <sup>2</sup>	
Thk. F. LAM =	0.055 in	Nominal Thickness
Width F. LAM =	3.15 in	Nominal Width
n =	3	# of Long. CFRP lamintae in tension
$A_f =$	0.173 in <sup>2</sup>	Area of each CFRP Laminate
$\Sigma A_f =$	0.520 in <sup>2</sup>	Total CFRP area in tension
$E_f =$	23,000,000 psi	Modulus of Elasticity
$\alpha_{(\text{Deg})} =$	45.0 Deg.	$\alpha$ = Angle vertical axis to center of CFRP
$Y=Y_{\text{eq}} =$	9.67	Dist. from centroid of reinf. to pile center
$\Sigma A_f Y =$	5.03 in <sup>3</sup>	
$d=D_{\text{pile Jacket}}/2+Y_{\text{eq}} =$	25.67 in	

### Determine flexural strength:

$C_E =$	0.8	ACI 440.1R Table 9.4
$f_{tu}^* =$	390,000 psi	Ultimate Tensile Strength of CFPL
$f_{tu}=C_E \cdot f_{tu}^* =$	312,000 psi	Design Tensile Strength of CFPL per ACI 440.1R Table 6.2a
$\beta_1 =$	0.65	
$\rho_f =$	0.0006	$\rho_f = \Sigma A_f / A_{\text{pile}}$ per ACI 440.1R Table 7.2.1a
$\rho_{fb} =$	0.0037	$\rho_{fb} = 0.85\beta_1(f'_c/f_{tu})(E_f \varepsilon_{cu}/(f_{tu} E_f \varepsilon_{cu} + f_{tu}))$
$\rho_f/\rho_{fb} =$	0.2 < 1	Section is tension controlled
$f_t =$	312,000 psi	$f_t = \text{Min}[( (E_f \varepsilon_{cu})^2 / 4 + 0.85\beta_1 f'_c E_f \varepsilon_{cu} / \rho_f )^{(0.5)} - 0.5 E_f \varepsilon_{cu}, f_{tu}]$
$\Rightarrow f_t =$	312 ksi	For Tension controlled section => $f_t = f_{tu}$
$\varepsilon_{fu} = f_t/E_f =$	0.0136	
$C_b = (\varepsilon_{cu}/(\varepsilon_{cu} + \varepsilon_{fu})) =$	5.62 in	ACI 440.1R (7.2.2h) for $\rho_f < \rho_{fb}$
$M_n = \Sigma A_f f_t (d - \beta_1 C_b / 2) =$	3,866,603 in-lbs	ACI 440.1R (7.2.2g) for $\rho_f < \rho_{fb}$
$\phi =$	0.55	Strength Reduction Factor for $\rho_f < \rho_{fb}$
$\phi M_{n,\text{Jacket}} =$	177 ft-kip	Design strength for tension controlled section ( $\rho_f < \rho_{fb}$ )

### Comparison of flexural strength (Existing pile vs. SCS system):

$\phi M_{n,\text{Existing}} =$	92 ft-kip	Flexural capacity of existing Pile (Original)
$\phi M_{n,\text{Jacket}} =$	177 ft-kip	Flexural capacity of new SDS jacket system only
$n = M_{n,\text{Jacket}} / M_{n,\text{Existing}} =$	192%	Strength increase ratio (%)